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- a. Consider a ball *thrown* from a building at much greater than its terminal velocity (were it to be dropped from rest). The ball is of a size that only the *linear* velocity air resistance term exists, $F_{\text{air on ball}} = -c_1 v$.

Describe the motion of the ball qualitatively (without using mathematics but using any relevant diagrams and pictures), in as much detail as possible.

- b. When solving for the equation of velocity as a function of time, the following integral can be found:

$$\int_{v_0}^v \frac{dv}{g - kv}, \text{ where } k = -c_1/m \text{ and } v_0 \text{ is the initial velocity.}$$

- i. Is the solution to this integral $-\frac{1}{k} \ln(g - kv)$? Explain how you arrived at your answer.

- ii. At terminal velocity, $v_{\text{terminal}} = -g/k$. At this value, the integral “blows up.” Explain why this is not a problem in solving the equation.